

## ***Principles of Programming Languages, 2019.07.24***

### **Notes**

- Total available time: 1h 45'.
- You may use any written material you need, and write in Italian, if you prefer.
- You cannot use electronic devices during the exam.

### **Exercise 1, Scheme (8 pts)**

Write a functional, tail recursive implementation of a procedure that takes a list of numbers  $L$  and two values  $x$  and  $y$ , and returns three lists: one containing all the elements that are less than both  $x$  and  $y$ , the second one containing all the elements in the range  $[x,y]$ , the third one with all the elements bigger than both  $x$  and  $y$ . It is not possible to use the *named let* construct in the implementation.

### **Exercise 2, Haskell (12 pts)**

Consider a non-deterministic finite state automaton (NFSA) and assume that its states are values of a type *State* defined in some way. An NFSA is encoded in Haskell through three functions:

- transition* :: *Char* → *State* → [*State*], i.e. the transition function.
- end* :: *State* → *Bool*, i.e. a functions stating if a state is an accepting state (True) or not.
- start* :: [*State*], which contains the list of starting states.

1) Define a data type suitable to encode the configuration of an NSFA.

2) Define the necessary functions (providing also all their types) that, given an automaton  $A$  (through *transition*, *end*, and *start*) and a string  $s$ , can be used to check if  $A$  accepts  $s$  or not.

### **Exercise 3, Erlang (12 pts)**

Define a master process which takes a list of nullary (or 0-arity) functions, and starts a worker process for each of them. The master must monitor all the workers and, if one fails for some reason, must re-start it to run the same code as before. The master ends when all the workers are done.

Note: for simplicity, you can use the library function *spawn\_link/1*, which takes a lambda function, and spawns and links a process running it.

## Solutions

Es 1

```
(define (3-part L v1 v2)
  (define (3-p L v1 v2 r1 r2 r3)
    (if (null? L)
        (list r1 r2 r3)
        (let ((x (car L))
              (xs (cdr L)))
          (cond
           ((and (< x v1)(< x v2))
            (3-p xs v1 v2 (cons x r1) r2 r3))
           ((and (>= x v1)(<= x v2))
            (3-p xs v1 v2 r1 (cons x r2) r3))
           ((and (> x v1)(> x v2))
            (3-p xs v1 v2 r1 r2 (cons x r3)))))))

(3-p L v1 v2 '() '() '()))
```

Es 2

```
data Config = Config String [State] deriving (Show, Eq)
```

```
steps :: (Char -> State -> [State]) -> Config -> Bool
```

```
steps trans (Config "" confs) = not . null $ filter end confs
```

```
steps trans (Config (a:as) confs) = steps trans $ Config as (concatMap (trans a) confs)
```

Es 3

```
listlink([], Pids) -> Pids;
```

```
listlink([F|Fs], Pids) ->
```

```
  Pid = spawn_link(F),
  listlink(Fs, Pids#{Pid => F}).
```

```
master(Functions) ->
```

```
  process_flag(trap_exit, true),
  Workers = listlink(Functions, #{}),
  master_loop(Workers, length(Functions)).
```

```
master_loop(Workers, Count) ->
```

```
  receive
    {'EXIT', Child, normal} ->
      if
        Count == 1 -> ok;
        true -> master_loop(Workers, Count-1)
      end;
    {'EXIT', Child, _} ->
      #{Child := Fun} = Workers,
      Pid = spawn_link(Fun),
      master_loop(Workers#{Pid => Fun}, Count)
  end.
```